

# One-shot-learning gesture recognition using 3D MoSIFT and bag of features

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# Outline

- Background
  - Challenge problems for one-shot learning gestures recognition
  - Bag of features model
- Our approach
- Results
- Discussion and feature works
- Reference

- ● ● | Background

- Challenge problems for one-shot learning gestures recognition
  - One training sample per gesture class



# Background

- Challenge problems for one-shot learning gestures recognition
  - One training sample per gesture class
  - How to extract distinctive features?



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- One training sample per gesture class

- How to extract distinctive features?

- motion trajectory

- spatio-temporal features: Cuboid , Harri3D + HOG/HOF, MoSIFT, 3D MoSIFT

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- One training sample per gesture class
- How to extract distinctive features?
  - motion trajectory
  - spatio-temporal features: Cuboid , Harri3D + HOG/HOF, MoSIFT, 3D MoSIFT
- How to select a suitable model?

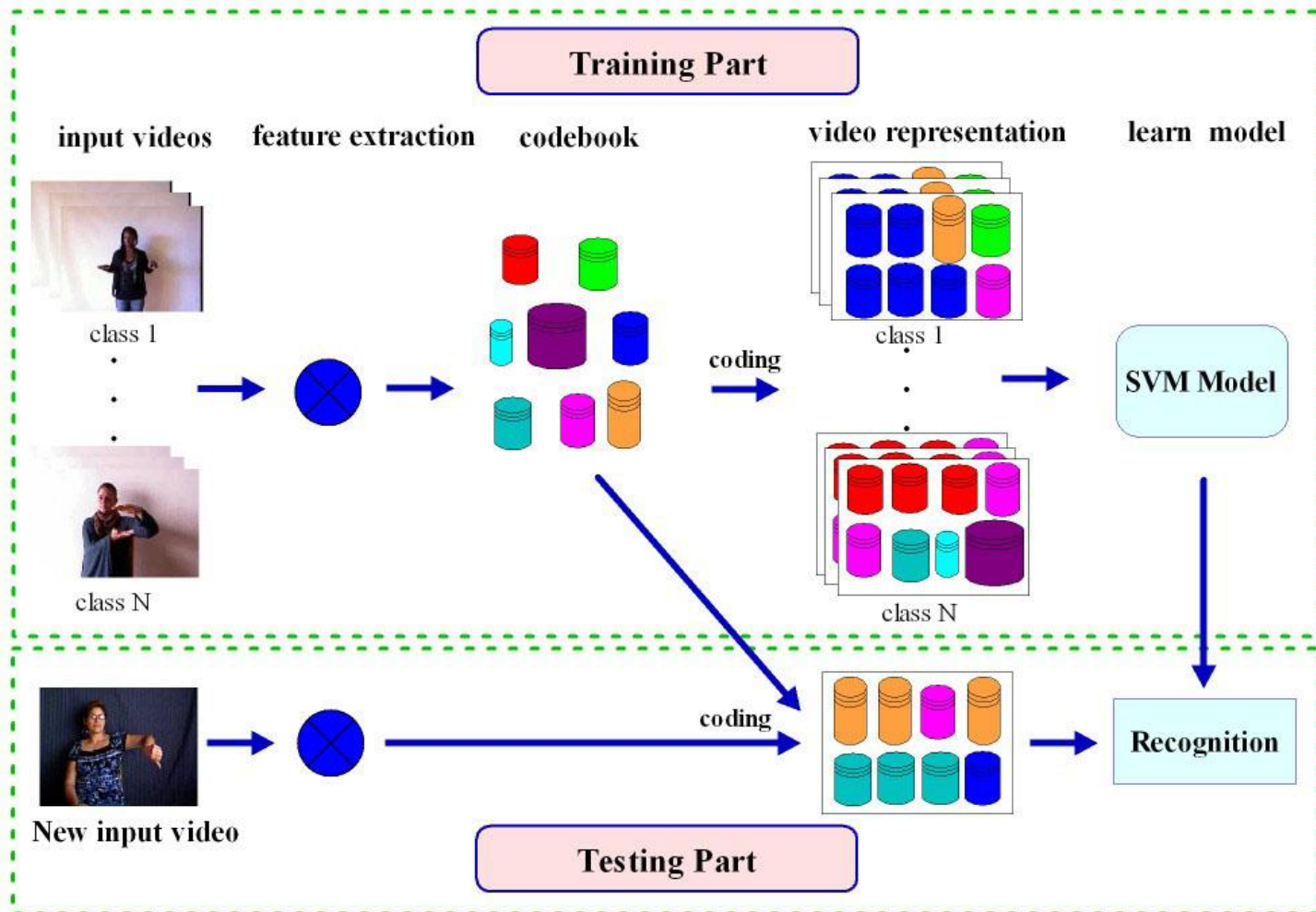
# Background

## ○ Challenge problems for one-shot learning gestures recognition

- One training sample per gesture class
- How to extract distinctive features?
  - motion trajectory
  - spatio-temporal features: Cuboid , Harri3D + HOG/HOF, MoSIFT, 3D MoSIFT
- How to select a suitable model?
  - Hidden Markov Model
  - Conditional Random Field
  - Bag of features Model

# Background

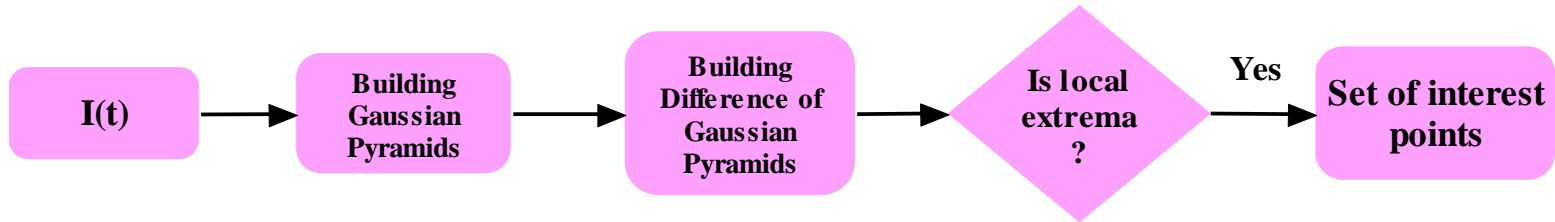
- Bag of features model





# 3D MoSIFT

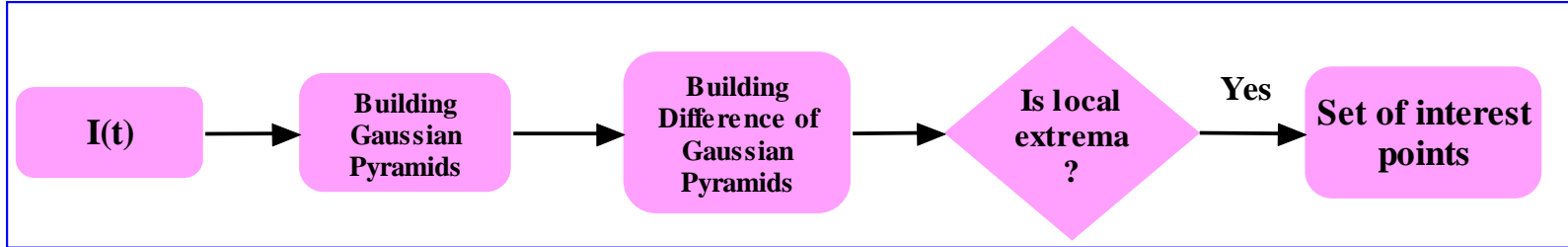
- Keypoints detection from RGB data



# 3D MoSIFT

- Keypoints detection from RGB data

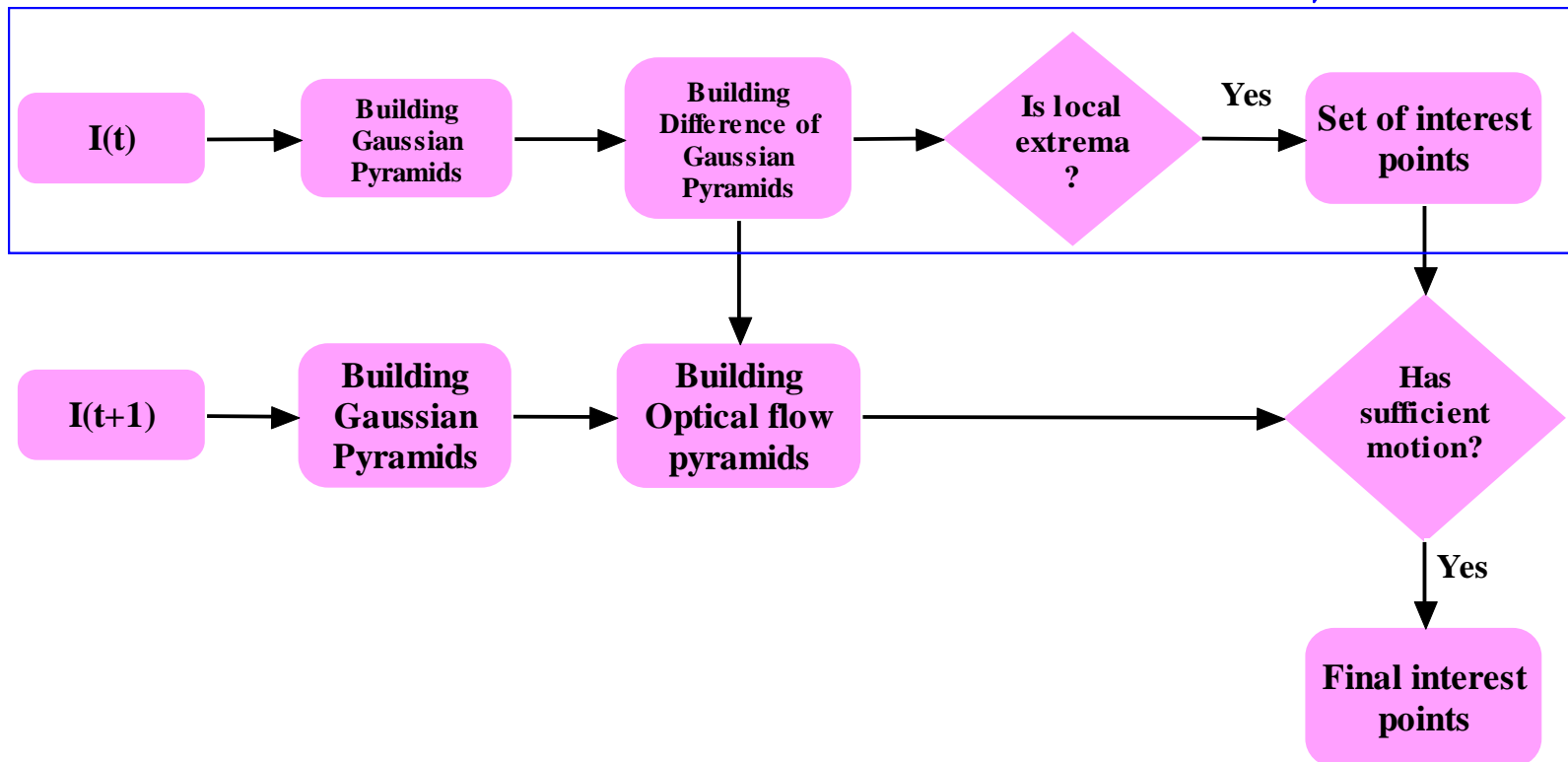
Sift for interest points detection



# 3D MoSIFT

- Keypoints detection from RGB data

Sift for interest points detection

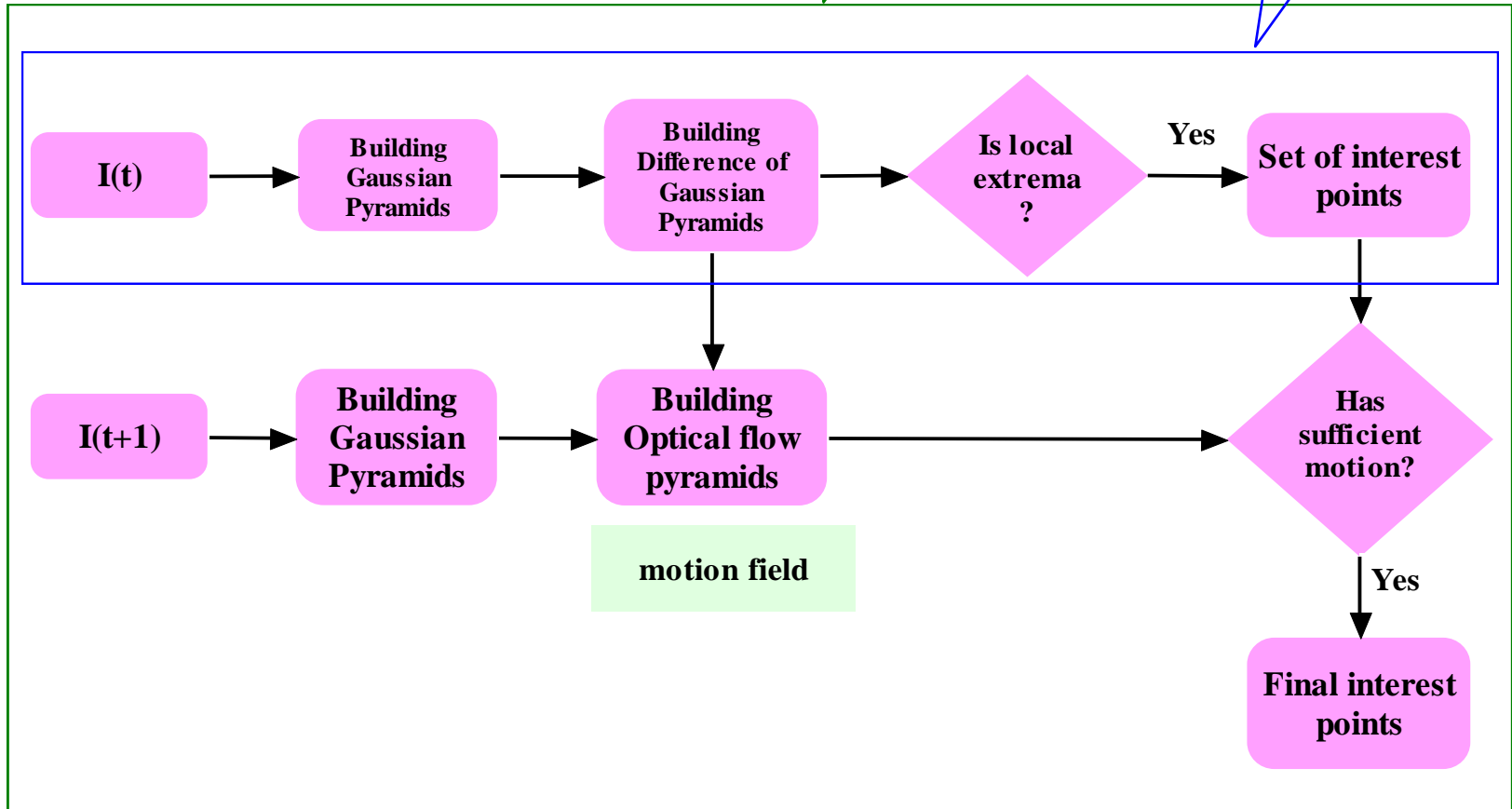


# 3D MoSIFT

3D MoSIFT for interest points detection

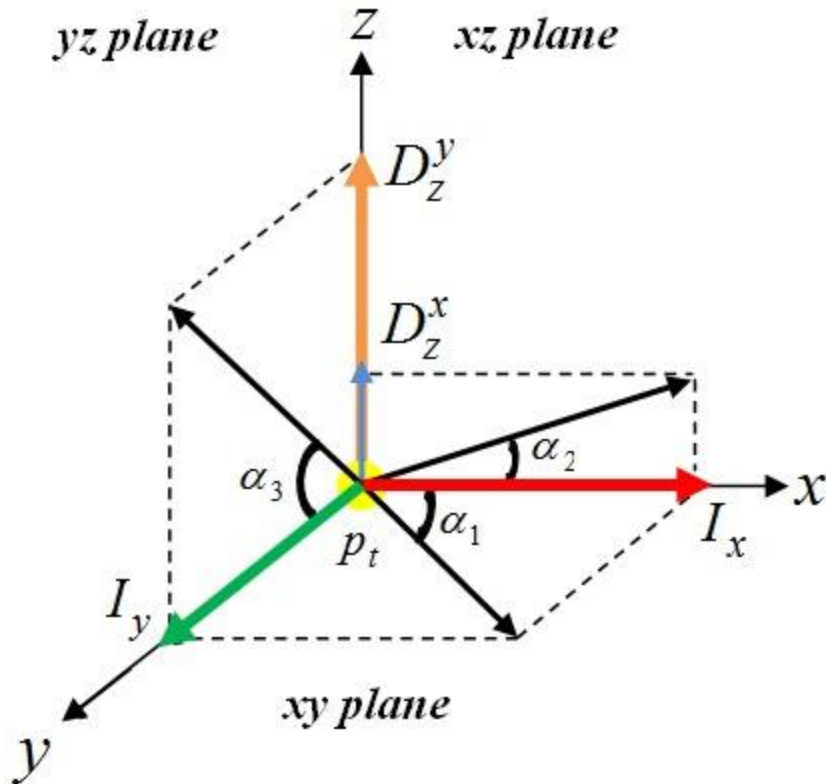
Sift for interest points detection

## Keypoints detection from RGB data



# 3D MoSIFT

- Computing feature descriptors from RGB-D data
  - 3D Gradient space construction



3D Gradient Space

$$I_x = \nabla_x(I) = \frac{\partial I}{\partial x}$$

$$I_y = \nabla_y(I) = \frac{\partial I}{\partial y}$$

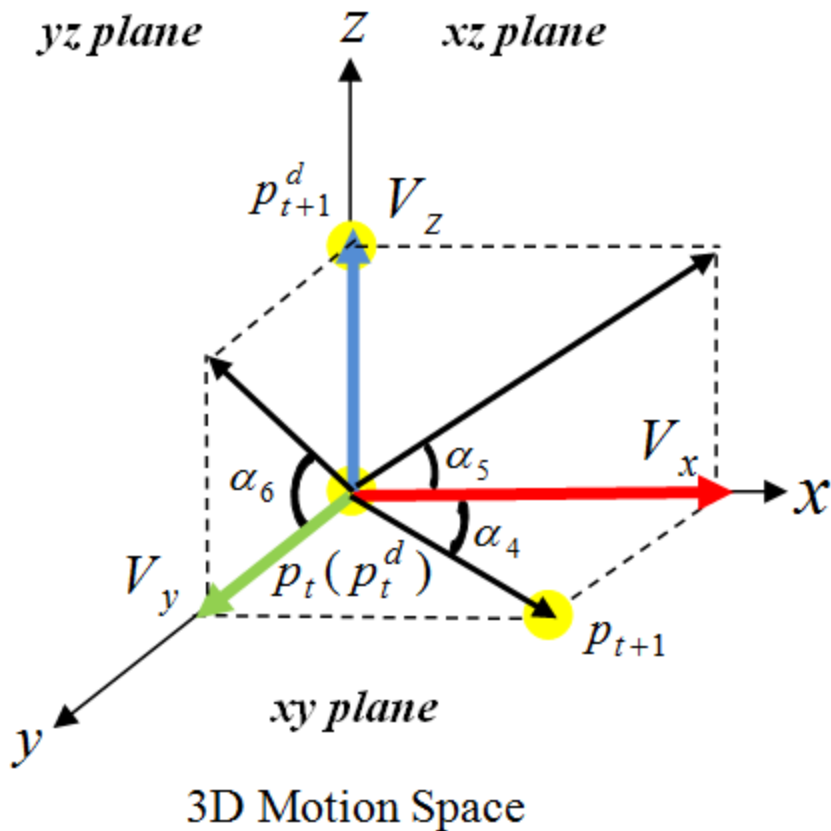
$$D_z^x = \nabla_x(D) = \frac{\partial D}{\partial x}$$

$$D_z^y = \nabla_y(D) = \frac{\partial D}{\partial y}$$

where  $\frac{\partial(\cdot)}{\partial x}$  and  $\frac{\partial(\cdot)}{\partial y}$  are the gradient in the  $x$  and  $y$  direction, respectively.

# 3D MoSIFT

- Computing feature descriptors from RGB-D data
  - 3D Motion space construction



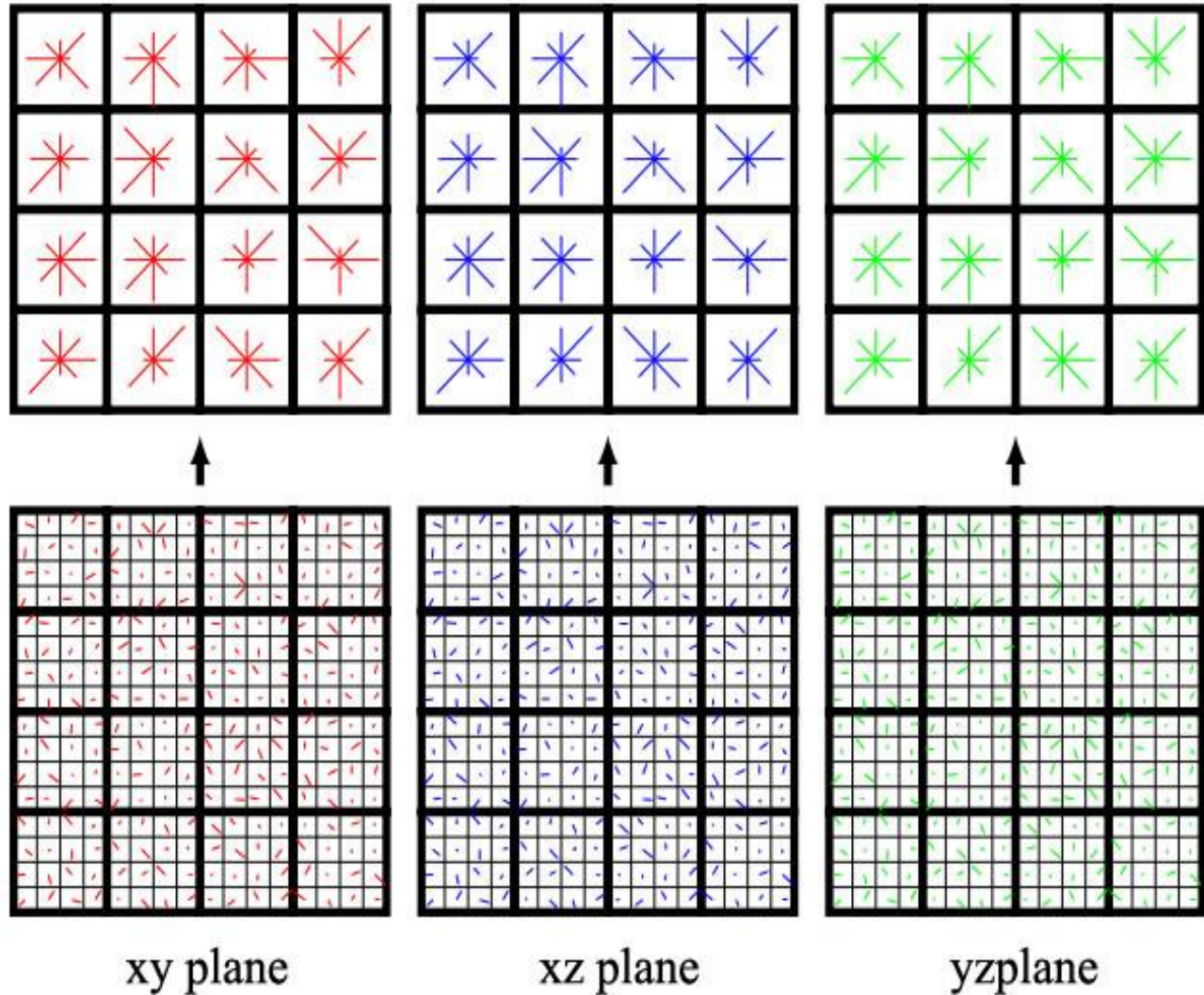
$V_x$  and  $V_y$  are calculated by optical flow.

$$V_z = D_{t+1}(p_{t+1}^d) - D_t(p_t^d)$$

where  $D_t$  denotes the depth frame at time  $t$ ;  $p_t^d$  is the interest point at time  $t$ ;

# 3D MoSIFT

Local patch around a  
interest point :  $16*16$ ;  
Each Grid size:  $4*4$ ;  
Calculate orientation  
histogram in each  
grind: 8 bins;  
Descriptors for a 2D  
plane:  $4*4*8 = 128$ ;  
3D MoSIFT size:  
 $128*6 = 768$





# Bag of features

- Codebook learning and vector quantization (VQ) coding
  - Codebook learning (in the training stage)  
----- by K-means algorithm

Let  $X$  be the set of descriptors with  $D$  dimensional feature space,  $X = [x_1, x_2, \dots, x_N] \in \mathbb{R}^{D \times N}$ . Suppose the codebook  $B$  with  $M$  entries,  $B = [b_1, b_2, \dots, b_M] \in \mathbb{R}^{D \times M}$ , the set of codes for  $X$  can be denoted as  $C = [c_1, c_2, \dots, c_N] \in \mathbb{R}^{M \times N}$

Then, K-means algorithm is solving the problems to seek the optimal  $B$  and  $C$ :

$$\min_{B, C} \|X - BC\|_F^2 \quad s.t. \quad \|c_i\|_0 = 1, \|c_i\|_1 = 1, c_i \geq 0, \forall i \quad (1)$$



# ● ● ● | Bag of features

- Codebook learning and vector quantization (VQ) coding
  - VQ coding (in the testing stage)

Let  $Y$  be the set of descriptors with  $D$  dimensional feature space,  $Y = [y_1, y_2, \dots, y_N] \in \mathbb{R}^{D \times N}$ . Given the codebook  $B$  with  $M$  entries,  $B = [b_1, b_2, \dots, b_M] \in \mathbb{R}^{D \times M}$ . Then, VQ method is solving the problems to seek the optimal  $C$ :

$$\min_C \|Y - BC\|_F^2 \quad s.t. \quad \|c_i\|_0 = 1, \|c_i\|_1 = 1, c_i \geq 0, \forall i \quad (2)$$

In practice, the single non-zero element of  $C_i$  is found by searching the nearest neighbor.



# Video representations

After obtaining codebook  $B = [b_1, b_2, \dots, b_M] \in \mathbb{R}^{D \times M}$  and a set of descriptors  $Y = [y_1, y_2, \dots, y_N] \in \mathbb{R}^{D \times N}$  from a sample, Then the set of codes  $C = [c_1, c_2, \dots, c_N] \in \mathbb{R}^{M \times N}$  for  $Y$  can be calculated via VQ method.

## ○ Histogram calculation:

$$h = \frac{1}{N} \sum_{i=1}^N c_i$$

So, each sample can be denoted by a histogram vector  $h \in \mathbb{R}^M$



# Classification

- KNN classification

Because there is only one sample per gesture class, KNN classification is used to recognize any input sample.



# Overview

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**Algorithm 2** The unified framework for one-shot learning gesture recognition

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The condition for one-shot learning: given  $K$  training samples (RGB-D data) for  $K$  class (each sample per class).

**Input:**

Training samples (RGB-D data):  $T_r = [t_{r1}, \dots, t_{rK}]$

A learned codebook:  $B$  (compute from training stage)

Histogram vectors of training samples:  $H_r = [h_{r1}, h_{r2}, \dots, h_{rK}]$  (compute from training stage)

A test sample (RGB-D data):  $t_e$

**Output:**

The recognition results: *class*

- 1: Initialization: *class* = [ ]
- 2: Temporal gesture segmentation:  $[t_{e1}, t_{e2}, \dots, t_{eN}] = DTW(T_r, t_e)$
- 3: **for**  $i = 1; i \leq N; i++$  **do**
- 4: Spatio-temporal feature extraction:  $X_{t_e} = 3D\_MoSIFT(t_{e_i})$
- 5: For  $X_{t_e}$ , calculate the codes  $C$  over the pre-trained codebook  $B$   
$$\min_C \|X_{t_e} - BC\|_F^2 \quad s.t. \quad \|c_j\|_0 = 1, \|c_j\|_1 = 1, c_j \geq 0, \forall j$$
- 6: Calculate the histogram vector  $h_{t_e}$
- 7: Recognition:  $tmp\_calss = knn\_classify(H_r, h_{t_e})$
- 8: *class* = [*class* *tmp\\_calss*]
- 9: **end for**
- 10: **return** *class*



# Results

- Features analysis and Parameter discussion

Batch name	$N_{tr}$	$L_{tr}$	$A_{tr}$
final21	10	18116	1812
final22	11	19034	1730
final23	12	11168	931
final24	9	10544	1172
final25	11	<b>8547</b>	<b>777</b>
final26	9	9852	1095
final27	10	29999	3000
final28	11	16156	1469
final29	8	30782	3848
final30	10	20357	2036
final31	12	22149	1846
final32	9	12717	1413
final33	9	<b>42273</b>	<b>4697</b>
final34	8	24099	3012
final35	8	39409	4926
final36	9	9206	1023
final37	8	22142	2768
final38	11	26160	2378
final39	10	16543	1654
final40	12	11800	983

$N_{tr}$  : number of training samples

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( $A_{tr} = L_{tr} / N_{tr}$ )

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Traditional strategy: a given const value (e.g. 500 ,1000 2000 )

But it may not be suitable for one-shot learning.



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- 2) k-means condition:  $M \cong$  the number of cluster

For example, if M=10000, it is failed in some batches (final 25, final 26, final 36)



# Results

## ○ Features analysis and Parameter discussion


Therefore, we use a new parameter  $\gamma \in (0,1)$  to replace the codebook size  $M$ , then the codebook size  $M$  can be calculated:

$$M = L_{tr} * \gamma$$

Advantages:

- 1) Different batches have different codebook size.
- 2)  $\gamma$  satisfies the k-means condition.

$$( M = L_{tr} * \gamma \leq L_{tr} )$$



# Results ---- comparison

ratio \ Methods	0.1	0.2	0.3	0.4	0.5
Cuboid (R)	0.36717	0.36495	0.34332	0.33111	<b>0.31392</b>
Coboid (R+D)	0.33666	0.31559	0.30948	0.30782	<b>0.28064</b>
Harri3D hog (R)	0.30061	0.26012	0.25014	0.23516	<b>0.23461</b>
Harri3D hog (R+B)	0.24903	0.22795	<b>0.22407</b>	0.22795	0.22684
Harri3D hof (R)	0.34831	0.32668	0.31281	0.29895	<b>0.29063</b>
Harri3D hof (R+B)	0.32169	0.29174	0.28508	0.27898	<b>0.27121</b>
Harri3D hog/hof (R+B)	0.24237	0.21963	0.20022	0.19468	<b>0.18857</b>
Harri3D hog/hof (R+B)	0.20965	0.18802	0.18303	0.18747	<b>0.18192</b>
MoSIFT(R)	0.41653	0.39601	0.35885	0.36606	<b>0.335</b>
MoSIFT(R+B)	0.44426	0.4426	0.43594	0.42318	<b>0.40488</b>
3D MoSIFT (R+B)	0.19135	0.16694	0.16195	<b>0.14476</b>	0.14642



# Discussion and feature work

- 3D MoSIFT merits:

- 1) Scale and rotation invariant

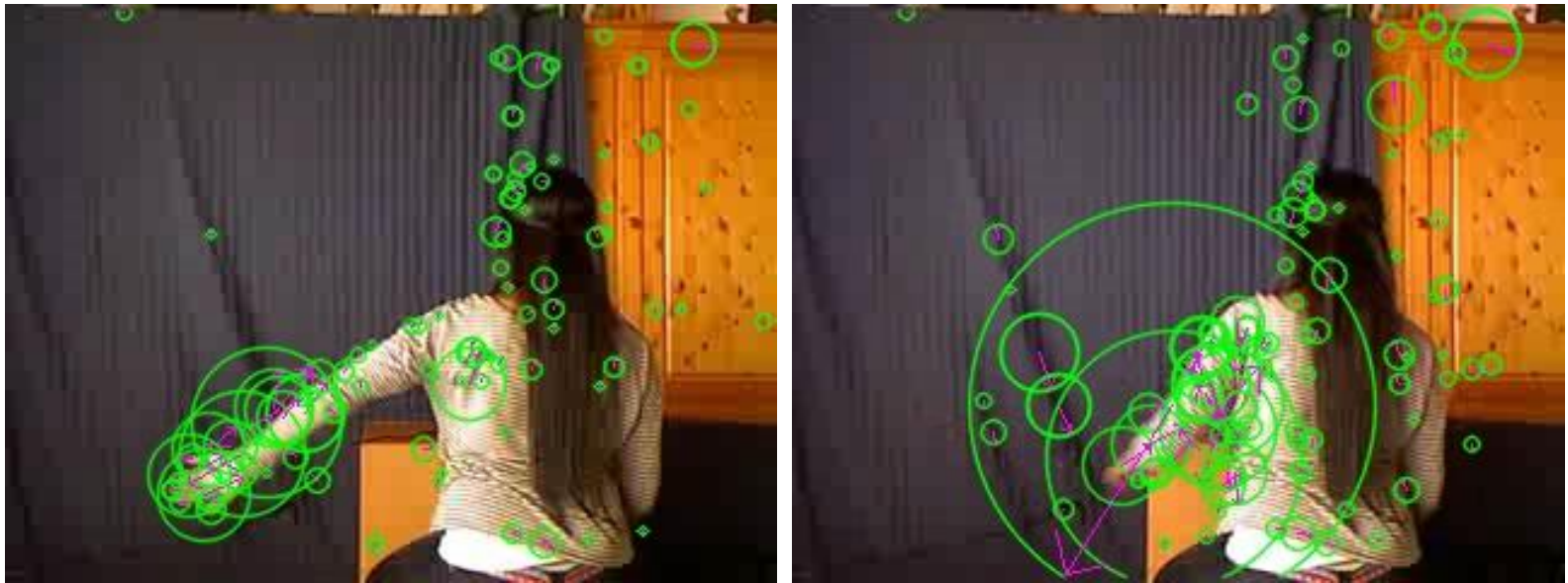
- 2) Capture more compact and richer representation

According to experimental results, 3D MoSIFT is suitable for one-shot learning gesture recognition.

# Discussion and feature work

## 3D Mosift drawbacks:

- 1) Processing time: about 200ms/f.
- 2) Still capture redundant features in the background.

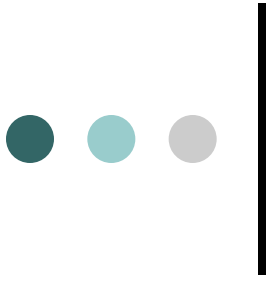


Green circles indicate the scale value of interest points and purple arrow shows the direction of movement.



# Reference

- (1) I. Laptev. On space-time interest points. *International Journal of Computer Vision*, 64(2):107–123, 2005.
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- (3) M. Chen and A. Hauptmann. “Mosift: Recognizing human actions in surveillance videos”. 2009.
- (4) Y. Ming, Q. Ruan, and A.G. Hauptmann. “Activity recognition from rgb-d camera with 3d local spatio-temporal features”. In *Multimedia and Expo (ICME), 2012 IEEE International Conference on*, pages 344–349. IEEE, 2012.



*Thank you!*